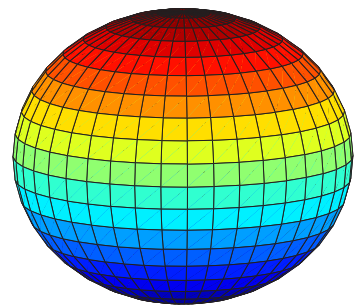


## NĚKTERÉ PLOCHY V $\mathbb{R}^3$

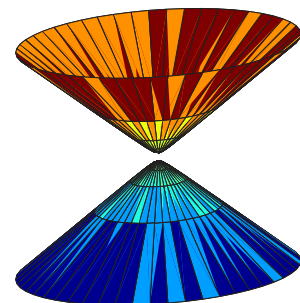
**KVADRATICKÁ PLOCHA – OBECNÝ  
ELIPSOID**

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} + \frac{z^2}{c^2} = 1$$



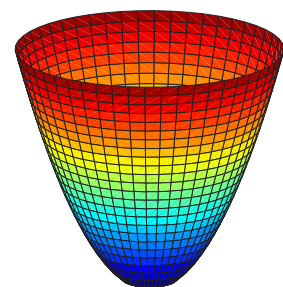
**KVADRATICKÁ PLOCHA – DVOUDÍLNÝ  
HYPERBOLOID**

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} - \frac{z^2}{c^2} = -1$$



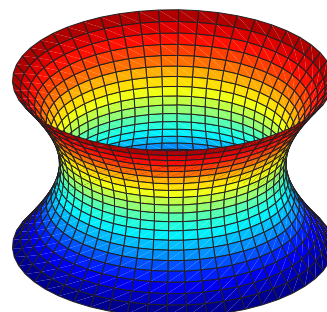
**KVADRATICKÁ PLOCHA – ELIPTICKÝ  
PARABOLOID**

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} - 2\frac{z}{c} = 0$$



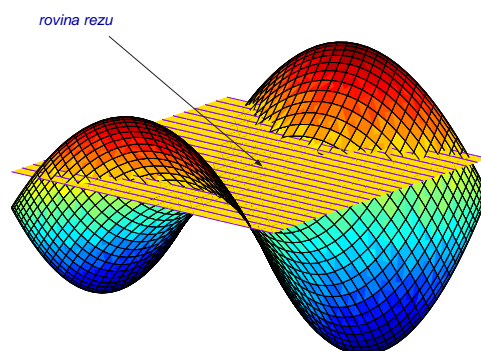
**KVADRATICKÁ PLOCHA – JEDNODÍLNÝ  
HYPERBOLOID**

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} - \frac{z^2}{c^2} = 1$$



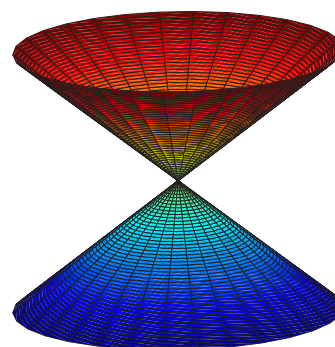
**KVADRATICKÁ PLOCHA – HYPERBOLICKÝ  
PARABOLOID**

$$\frac{x^2}{a^2} - \frac{y^2}{b^2} - 2\frac{z}{c} = 0$$



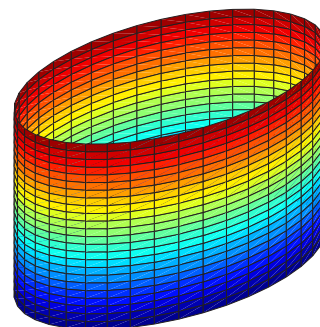
**KVADRATICKÁ PLOCHA – KUŽELOVÁ  
PLOCHA**

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} - \frac{z^2}{c^2} = 0$$



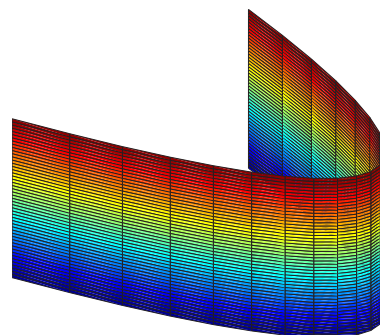
**KVADRATICKÁ PLOCHA – ELIPTICKÝ  
VÁLEC**

$$\frac{x^2}{a^2} + \frac{y^2}{b^2} = 1$$



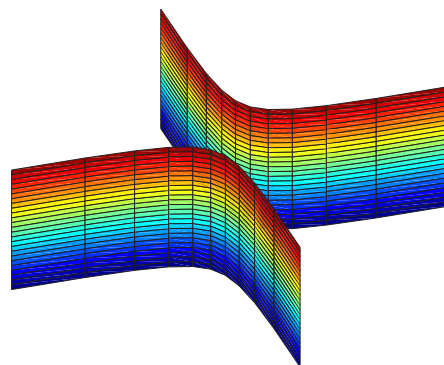
**KVADRATICKÁ PLOCHA – PARABOLICKÝ  
VÁLEC**

$$\frac{x^2}{a^2} - 2\frac{y}{b} = 0$$



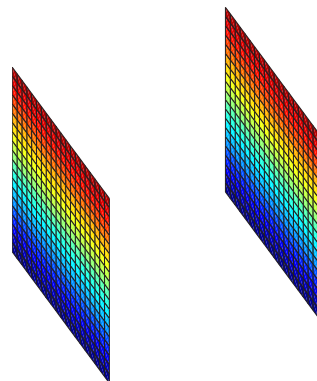
**KVADRATICKÁ PLOCHA – HYPERBOLICKÝ  
VÁLEC**

$$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 1$$



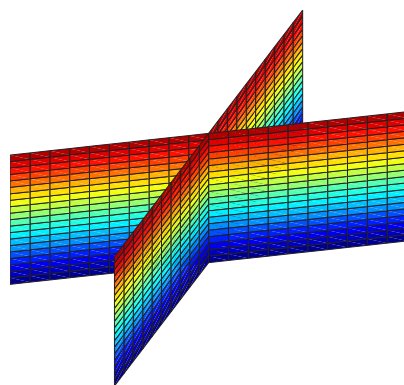
**KVADRATICKÁ PLOCHA – ROVNOBĚŽNÉ  
ROVINY**

$$\frac{x^2}{a^2} = 1$$



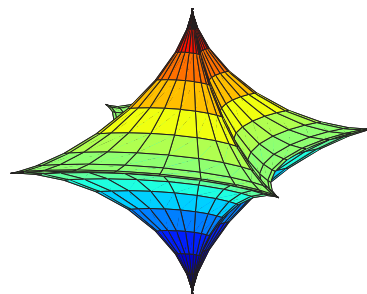
**KVADRATICKÁ PLOCHA – RŮZNOBĚŽNÉ  
ROVINY**

$$\frac{x^2}{a^2} - \frac{y^2}{b^2} = 0$$



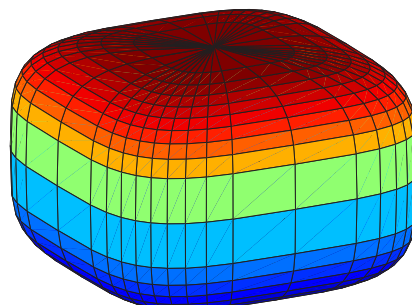
**OBECNÁ PLOCHA – PSEUDOELIPSOID**

$$\left(\frac{|x|}{a}\right)^{2/3} + \left(\frac{|y|}{b}\right)^{2/3} + \left(\frac{|z|}{c}\right)^{2/3} = 1$$



### OBEČNÁ PLOCHA – PSEUDOELIPSOID

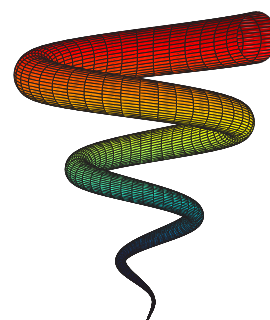
$$\frac{x^4}{a^4} + \frac{y^4}{b^4} + \frac{z^4}{c^4} = 1$$



### OBEČNÁ PLOCHA – DŽIN

$$\begin{aligned}x &= (a \sin(\varphi) + b)\vartheta \sin(\vartheta) \\y &= (a \sin(\varphi) + b)\vartheta \cos(\vartheta) \\z &= a\vartheta \cos(\varphi) + 2b\vartheta\end{aligned}$$

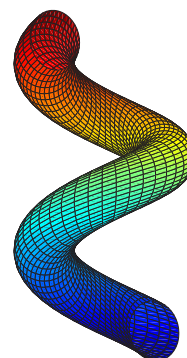
$$(\varphi, \vartheta) \in (0, 6\pi) \times (0, 2\pi)$$



### OBEČNÁ PLOCHA – ŠROUBOVÁ PLOCHA

$$\begin{aligned}x &= -(\sin(\varphi) + a) \sin(\vartheta) \\y &= (\sin(\varphi) + a) \cos(\vartheta) \\z &= \cos(\varphi) + b\vartheta\end{aligned}$$

$$(\varphi, \vartheta) \in (0, 2\pi) \times (0, 3\pi)$$



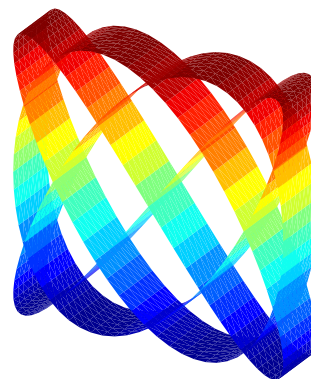
### OBECNÁ PLOCHA – STUHA

$$x = a \sin(\varphi) \cos(\vartheta)$$

$$y = a \sin(b\vartheta)$$

$$z = a \sin(a\vartheta)$$

$$(\varphi, \vartheta) \in \left(0, \frac{\pi}{6}\right) \times (0, 2\pi)$$



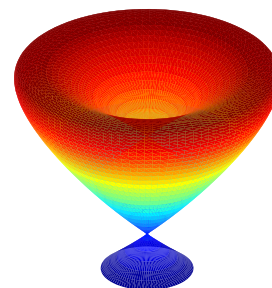
### OBECNÁ PLOCHA – SKLENKA

$$x = a \sin(b + \vartheta) \cos(\varphi)$$

$$y = a \sin(b + \vartheta) \sin(\varphi)$$

$$z = a \sin(\vartheta)$$

$$(\varphi, \vartheta) \in (0, 2\pi) \times \left(-\frac{\pi}{4}, \pi\right)$$



### OBECNÁ PLOCHA – MATEMATICKÝ CIMRMANOID

$$x = (a + b \cos(\rho)) \sqrt{\cos(2\zeta)} \cos(\zeta)$$

$$y = (a + b \cos(\rho)) \sqrt{\cos(2\zeta)} \sin(\zeta)$$

$$z = b \sin(\rho)$$

$$(\rho, \zeta) \in (0, 2\pi) \times \left(-\frac{\pi}{4}, \frac{\pi}{4}\right)$$

